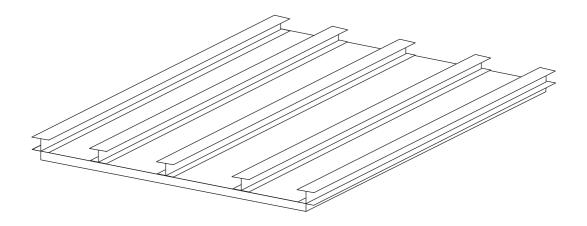
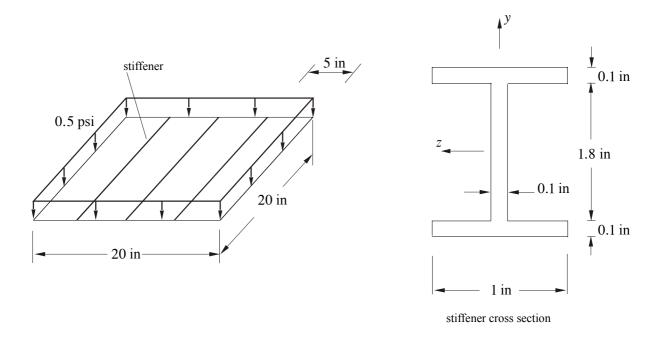
Linear Static Analysis of a Simply-Supported Stiffened Plate



Objectives

- Create a geometric representation of a stiffened plate.
- Use the geometry model to define an analysis model comprised of plate and bar elements.
- Run an MSC/NASTRAN linear static analysis.
- View analysis results.

Model Description



Consider the square stiffened plate above of 20 in side and 0.1 in thickness, with I-beam stiffeners mounted as shown. The structure is simply supported on its four corners and subjected to a uniformly distributed load of 0.5 psi applied to the surface of the plate.

Hint: Because the centroidal axes of the stiffeners do not coincide with the mid-plane of the plate, you can account for this when you define the element properties for the stiffeners.

Young's Modulus	$10.3 \times 10^6 \text{ psi}$
Poisson's Ratio	0.3
Plate Thickness	0.1 in
Bar Cross-Sectional Area	0.38 in^2
I_z	0.2293 in^4
I_y	0.0168 in^4
J	0.0013 in^4

Exercise Procedure

Select \mathbf{OK} .

1.	Start up MSC/NASTRAN for Windows 4.5 and begin to create a new model.		
	Double click on the icon for the MSC/NASTRAN for Windows V4.5.		
	On the Open Model File form, select New Model .		
	Turn off the workplane:		
	Tools / Workplane (or F2) / \square \square	Oraw Workplane / Done	
	View / Regenerate (or Ctrl G).		
2.	Create a material called mat_1.		
	From the pulldown menu, select Mo	del / Material.	
	Title	mat_1	
	Young's Modulus	10.3e6	
	Poisson's Ratio	0.3	
	Select OK / Cancel .		
	NOTE: In the Messages Window at the bottom of the screen, you should see a		
	verification that the material was created. You can check here throughout the		
	exercise to both verify the completion	n of operations and to find an explanation for	
	errors which might occur.		
3.	c. Create a property called plate to apply to the members of the plate itself.		
	From the pulldown menu, select Model / Property.		
	Title	plate	
	Material	mat_1	
	Note that the default element type is	Plate element, not parabolic.	
	Thickness, Tavg or T_1 0.1		

4. Create a property called **stiffener** for the bar elements of the model.

 Title
 stiffener

 Material
 mat_1

 Elem / Property Type

Change the property type from **Plate** element (default) to **Bar** element.

Line Elements Bar

Select **OK**.

 Area
 0.38

 I_z 0.2293

 I_y 0.0168

 J 0.0013

Be certain that you understand the assumed bar orientation. Now, choose up to 4 points on cross-section, defined in element local yz plane, where stresses will be computed.

Stress Recovery		
Points	y	z
1	1	0.5
2	1	-0.5
3	-1	-0.5
4	-1	0.5

Select **OK** / **Cancel**.

5. Create the MSC/NASTRAN model for the plate $(12 \times 10 \text{ mesh of QUAD4})$.

From the pulldown menu, select Mesh / Between (or Ctrl B).

Property plate

Mesh Size / #Nodes / Dir. 1 13

	Mesh Size / #No	odes / Dir. 2	11		
	Note that Quad	is the default element	ment shape. So,	Plate + not pa	arabolic (linear)
	$+ \mathbf{Quad} = \mathbf{QUA}$	A D4.			
	Select OK .				
		X:	<i>Y</i> :	Z:	
	Corner 1	0	0	0	
	Select OK .				
	Repeat this proce	ess for the other:	3 corners.		
		<i>X</i> :	<i>Y</i> :	Z:	
		20	0	0	ОК
		20	20	0	ОК
		0	20	0	ОК
	To fit the display	onto the screen	, select View /	Autoscale / V	Visible (or Ctrl
	\mathbf{A}).				
6.	Create the MSC	/NASTRAN mo	del for the stiffe	eners (10 bar el	ements for each
	stiffener).				
	From the pulldown menu, select Mesh / Between (or Ctrl B).				
	Property		stiffener		
	Mesh Size / #No	odes / Dir. 1	11		
	Corner Nodes		1		
			131		
	Select OK .				
	When selecting the	he corner nodes,	you may (if you	wish) manually	type their num-

bers. However, it is easier to use the graphic interface and select the nodes on the

screen using the mouse. Click in the first *Corner Nodes* box and then select the nodes on the screen. Notice that the node nearest to the cursor is highlighted by a large yellow X - you don't have to click precisely on the node!

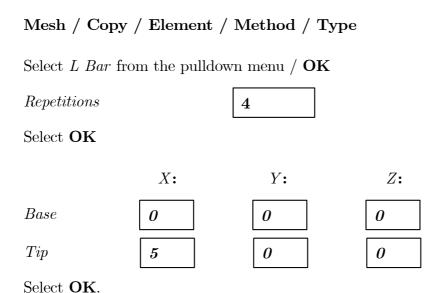
Now, specify the orientation vector for the bar elements.

	X:	Y:	Z:
Base	0	0	0
Tip	0	0	1

Select **OK**.

NOTE: In MSC/NASTRAN, the way to construct the element coordinate system is by defining an *orientation vector*, as explained in Workshop 2. The element lies on the local x axis and the moments of inertia I_1 and I_2 are related to the bending about the local z and y axes, respectively.

Create the rest of the bar elements:



7. Remove coincidents grids from the model.

Additional grids were created while generating bar elements. To eliminate these coincident grids, do the following:

Tools / Check / Coincident Nodes / Select All / OK When asked if you wish to specify an additional range of nodes to merge, respond No. Options Merge Coincident Entities Select OK.

As the Messages Window states, 55 nodes have now been merged.

8. Offset the stiffeners to correctly represent the model.

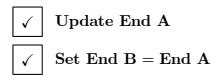
To properly model the bar stiffness, we will need to incorporate the bar offset property.

In order to examine the offsets, you may want to rotate the model.

View / Rotate (or F8) / Dimetric / OK.

Modify / Update Elements / Offsets / Method / Type

Select L Bar from the pulldown menu / **OK**

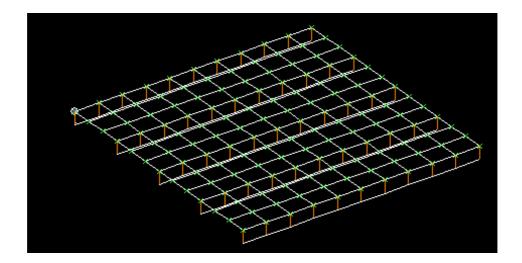


Select **OK**

	X:	Y:	Z:
Base	0	0	0
Tip	0	0	-1.05

Select **OK**.

NOTE: The offset values is 1/2 the height of the cross section and 1/2 the thickness of the plate.



9. Create the model constraints.

Before creating the appropriate constraints, a constraint set needs to be created. Do so by performing the following:

Model / Constraint / Set Title constraint 1

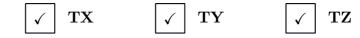
Select **OK**.

Now, define the relevant constraint for the model.

Model / Constraint / Nodal

Select the four extreme corners, Nodes 144, 13, 154 and 198 / OK.

On the DOF box, select all translations.



Select **OK** / Cancel.

Notice that the constraint appears on the screen at Nodes 144, 13, 154 and 198, fixing the 1, 2 and 3 directions (corresponding to TX, TY and TZ).

10. Create the model loading.

Like the constraints, a load set must first be created before creating the appropriate model loading.

	$\mathbf{Model} \ / \ \mathbf{Load} \ / \ \mathbf{Set} \ (\mathrm{or} \ \mathbf{Ctrl} \ \mathbf{F2})$	
	Title	load_1
	Select OK .	
	Now, define the 0.5 psi surface load.	
	Model / Load / Elemental / Sel	ect All / OK.
	Highlight Pressure	
	Load Pressure	0.5
	Select OK .	
	Face	2
	Select OK / Cancel.	
11.	Run the analysis.	
	File / Analyze	
	Analysis Type	Static
	Loads	✓ load_1
	Constraints	✓ constraint_1
		✓ Run Analysis
	Select OK .	
	When asked if you wish to save the r	model, respond Yes .
	Be sure to set the desirable working	directory.
	File Name	work_5
	Select Save.	
	When the MSC/ NASTRAN manag	ger is through running, MSC/ NASTR

When the MSC/ NASTRAN manager is through running, MSC/ NASTRAN for Windows will be restored on your screen, and the *Message Review* form will appear.

To read the messages, you could select **Show Details**. Since the analysis ran smoothly, we will not bother with the detail this time. Then select **Continue**.

12. List the results of the analysis.

To list the results, select the following:

List / Output / Unformatted / Select All / OK

Unselect All Vectors and instead select T3 Translation

☐ All Vectors / T3 Translation / OK

NOTE: You may want to expand the message box in order to view the results.

Answer the following questions using the results. The answers are listed at the end of the exercise.

What is the minimum displacement (maximum absolute value) in the Z direction and where it occurs?

Min. Disp. Z =______ Nodes = ____

Also, repeat the **List** / **Output** / **Unformatted** procedure above to find the answer to the second question.

What is the maximum von Mises stress on the top of the plate?

Max. von Mises Stress =

13. Display the deformed plot on the screen.

Finally, you may now display the deformed plot. First, however, you may want to remove the load and boundary constraint markers.

View / Options / Quick Options (or Ctrl Q)

 \square Pressure / \square Constraint / Done / OK

Plot the deformation of the structure.

View / Select (or F5)

Deformed Style

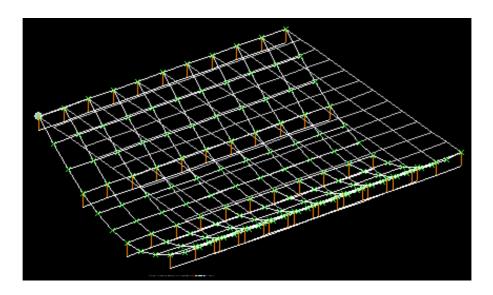
Deformed and Contour Data

 $Output\ Vectors\ /\ Deformation$

Total Translation

 ${\bf Deform}$

Select OK / OK.



14. Add the contour plot of von Mises stress to the deformed plot.

View / Select (or F5)

 $Contour\ Style$

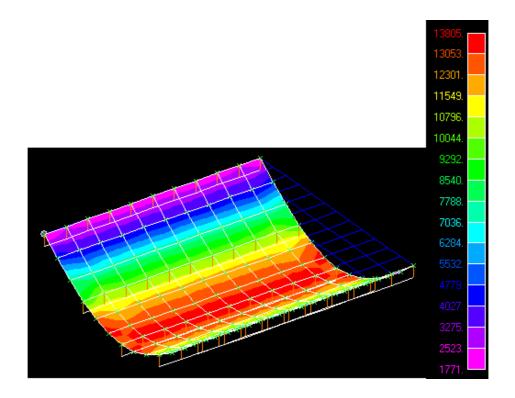
Contour

Deformed and Contour Data

 $Output\ Vectors\ /\ Contour$

7033 Plate Top von Mises Stress

Select OK / OK.



Return the model to the original display.

 ${\bf View}\ /\ {\bf Select}\ ({\rm or}\ {\bf F5})$

Deformed Style

None - Model Only

 $Contour\ Style$

None - Model Only

Select \mathbf{OK}

This concludes the exercise.

File / Save

File / Exit.

Answer

Min. Disp. Z	-1.10626 at nodes 7 and 176
Max. von Mises Stress	13518.5

Would you like to improve the result by refining the mesh?

NOTE: The von Mises stress is defined as

$$\sigma_e = \sqrt{\frac{1}{2} \left[(\sigma_x - \sigma_y)^2 + (\sigma_x - \sigma_z)^2 + (\sigma_y - \sigma_z)^2 \right] + 3 \left(\tau_{xy}^2 + \tau_{xz}^2 + \tau_{yz}^2 \right)}.$$

It is an invariant quantity with respect to rotation of the coordinate axes to which the stress is referred. Some failure theories state that yielding begins when σ_e reaches a limiting value. Since it is common to neglect σ_z , τ_{xz} e τ_{yz} for plates,

$$\sigma_e = \sqrt{\sigma_x^2 - \sigma_x \sigma_y + \sigma_y^2 + 3\tau_{xy}^2}.$$